Special Relativity HW7 Taylor & Wheeler 4-1 (a)-(f) Let's work symbolically and plug in the numbers after simplifying. $t_0 = 2200 \text{ A.D.}$ $c=1=\frac{1 \text{ light-year}}{\text{ year}}$ N=0.75 D = 8.7 light-years = 8.7 years T = layover time = 7 years (a) In the Earth Frame, at what time does the rocket arrive at Sirius? $t_{1} = t_{0} + \frac{D}{N} = 2200 \text{ A.D.} + \frac{8.7 \text{ years}}{0.75}$ $= ZZ11.6 A.D. \qquad \frac{4}{3}8.7 = 11.6 years$ In just going to measure all times from 2200A.D. \Rightarrow t,=11.6 years (b) $t_2 = t_1 + T = 11.6 + 7 = 18.6 years$ (c) It takes 11.6 years to return just as in (a). t3 = 18.6 years +11.6 years = 30.2 years (d) He goes 0.75 of the speed of light, but for James the distance (and time) are Lorentz contracted by M $t_{1} f_{o-} James = \frac{t_{1}}{y} = t_{1} \sqrt{1-y^{2}} = 11.6 \text{ years} \cdot \sqrt{1-\frac{9}{16}}$ $= 11.6 \text{ years} \cdot \frac{\sqrt{77}}{4} = 2.9 \text{ years} \cdot \sqrt{7} \approx 7.7 \text{ years}$

4-1(e) The layover time is T in either frame, because the layover is at rest in the Earth frame, so tz for Jonnes = tifor James + T = 7.7 years + 7 years = 14.7 years (f) The added time for this part is the same as was calculated for part (d), so t3 for James = t2 for James +t, for James = 14.7 years + 7.7 years = 22.4 years Here is (g), (h), and (i) as well (9) $D_{for James} = \frac{D}{\gamma^1} = 8.7 \text{ light-years } \frac{\sqrt{7}}{4}$ $\approx 5.8 light - years$ $\chi = \sqrt{1-v^2}$ and we previously got that (h) That's t, for James = 7.7 years previously got that Earth clocks read t, = 11.6 years when James sets to Sirius (i) That's tz for James = 14.7 years and tz = 18.6 years The authors recommend repeating these quite straightforward calculations with various other values.